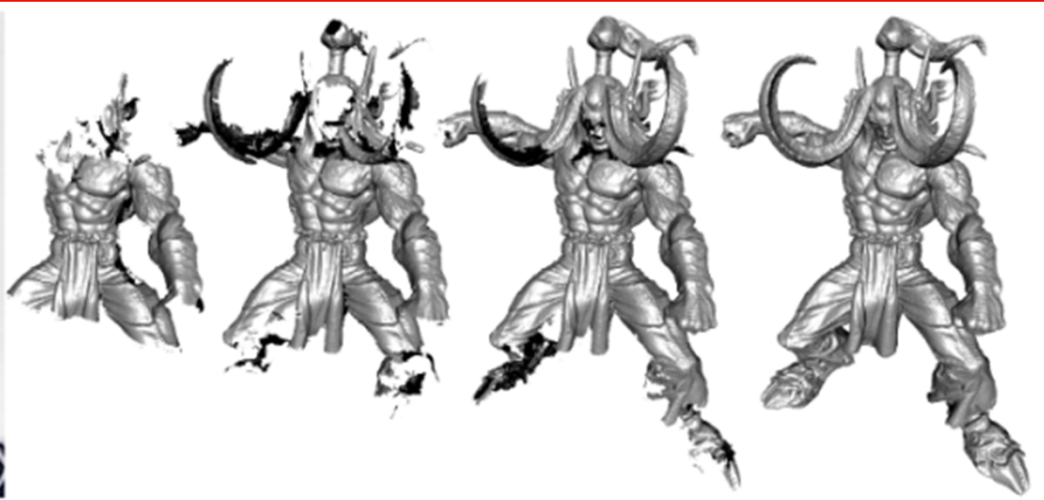




Quality-driven autonomous scanning of complex objects

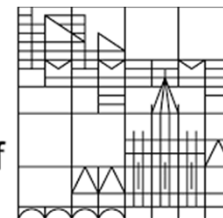
Minglun Gong

Department of Computer Science, Memorial University

In collaboration with: Shihao Wu, Wei Sun, Pinxin Long, Hui Huang,
Daniel Cohen-Or, Oliver Deussen, Baoquan Chen



University of
Konstanz



Introduction

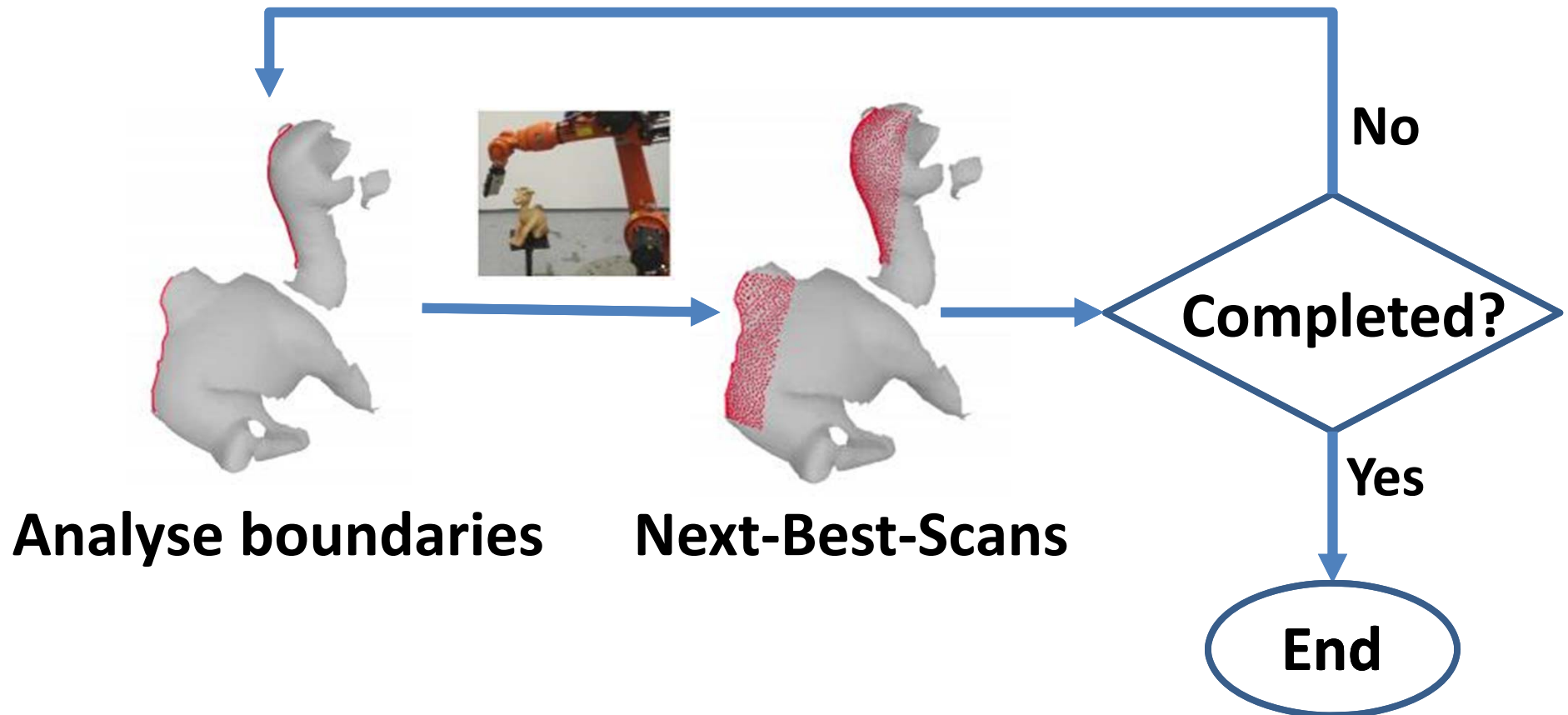
[https://www.youtube.com/
watch?v=BLX4LbiUtSQ](https://www.youtube.com/watch?v=BLX4LbiUtSQ)

Next Best View Problem



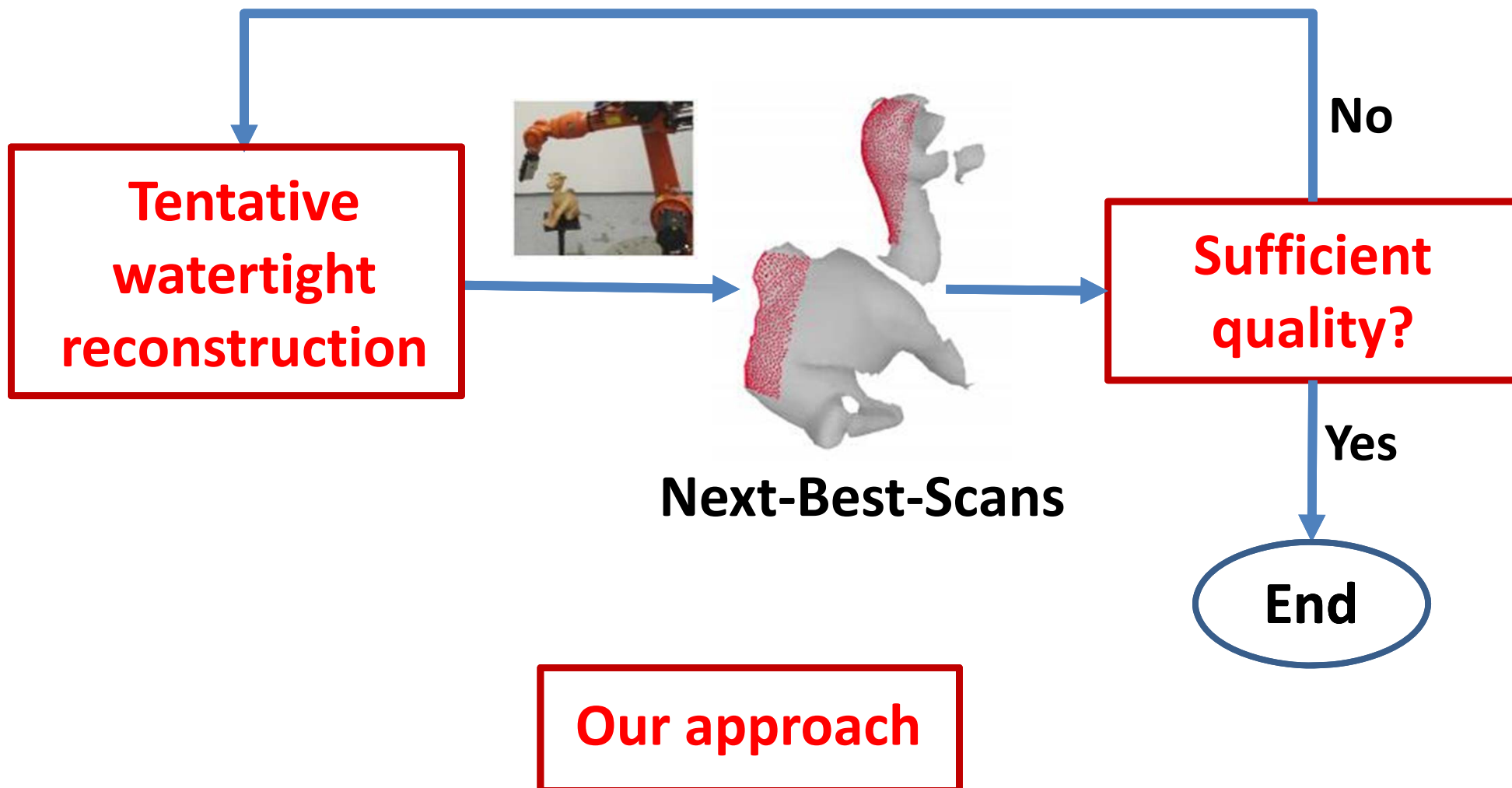
- Next sensor position to maximize information gain [Connolly 1985]
- Unknown object
- NBV computed on-the-fly

Related Work

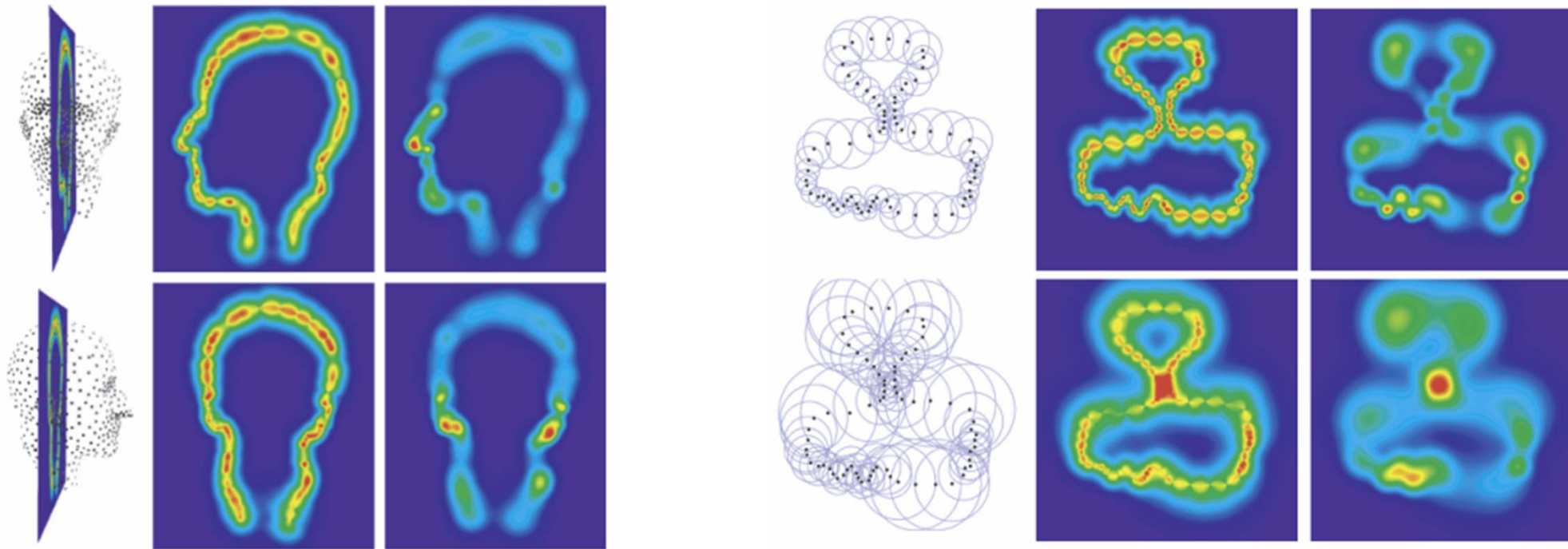


**[Kriegel et al. 2013]
(state-of-the-art)**

Related Work



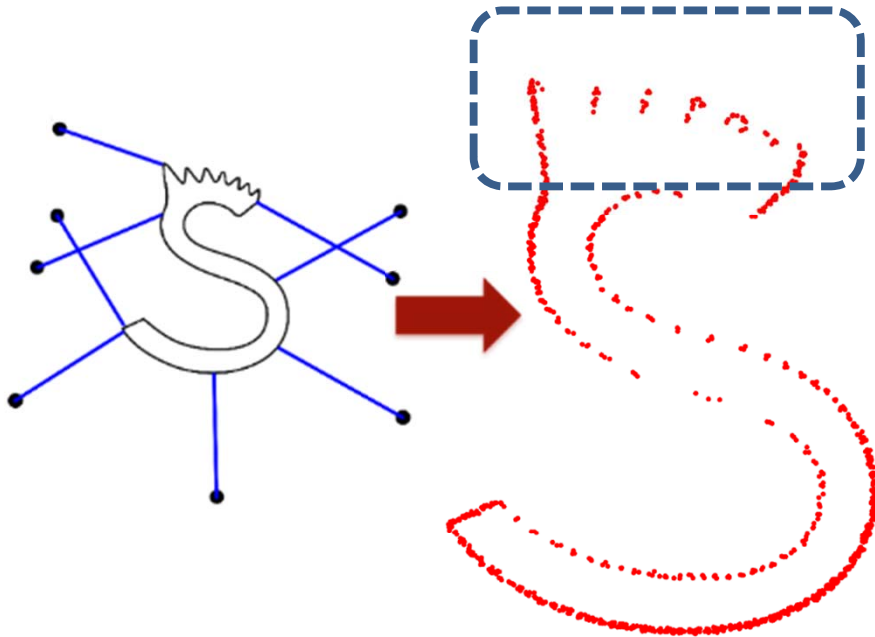
Related Work



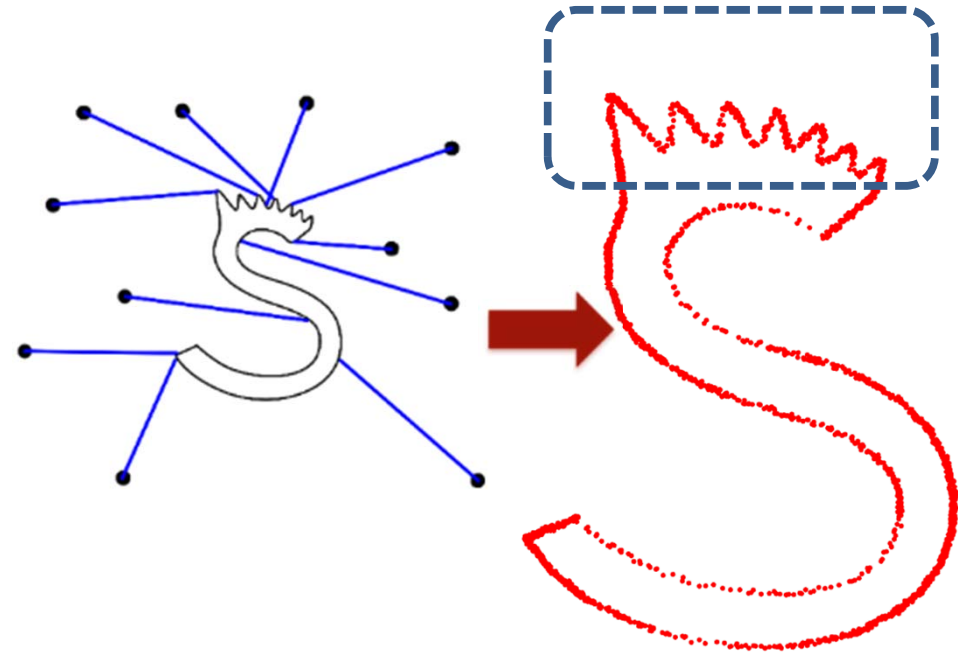
[Pauly et al. 2004]

Focus on density, regularity and curvature
 Do not account for **geometric completeness** and **topology**

Related Work



**Conventional NBV method:
Boundary-driven**



**Our method:
Quality-driven**

Key Idea

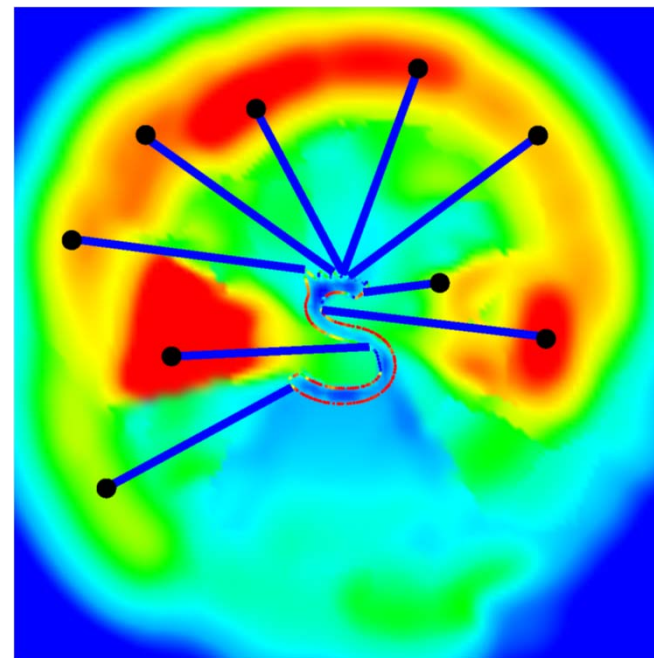
High confidence



Low confidence



High suitability

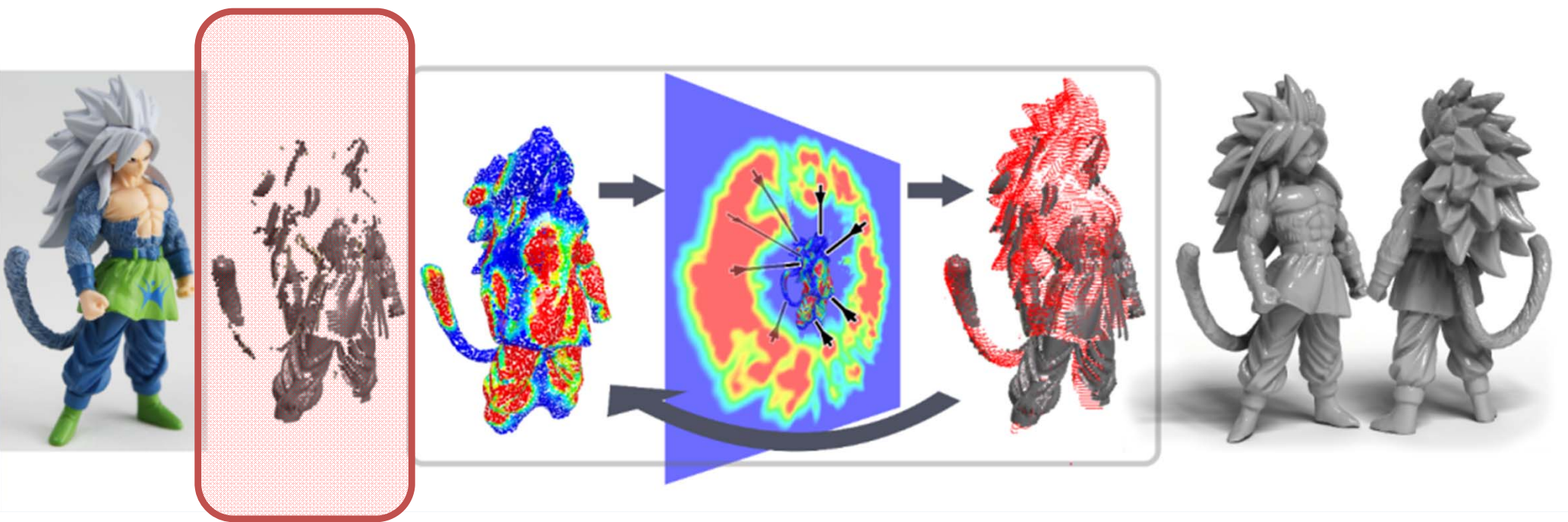


Low suitability

**Tentative watertight surface
confidence map**

**Ambient viewing field
next-best-scans**

Algorithm Overview



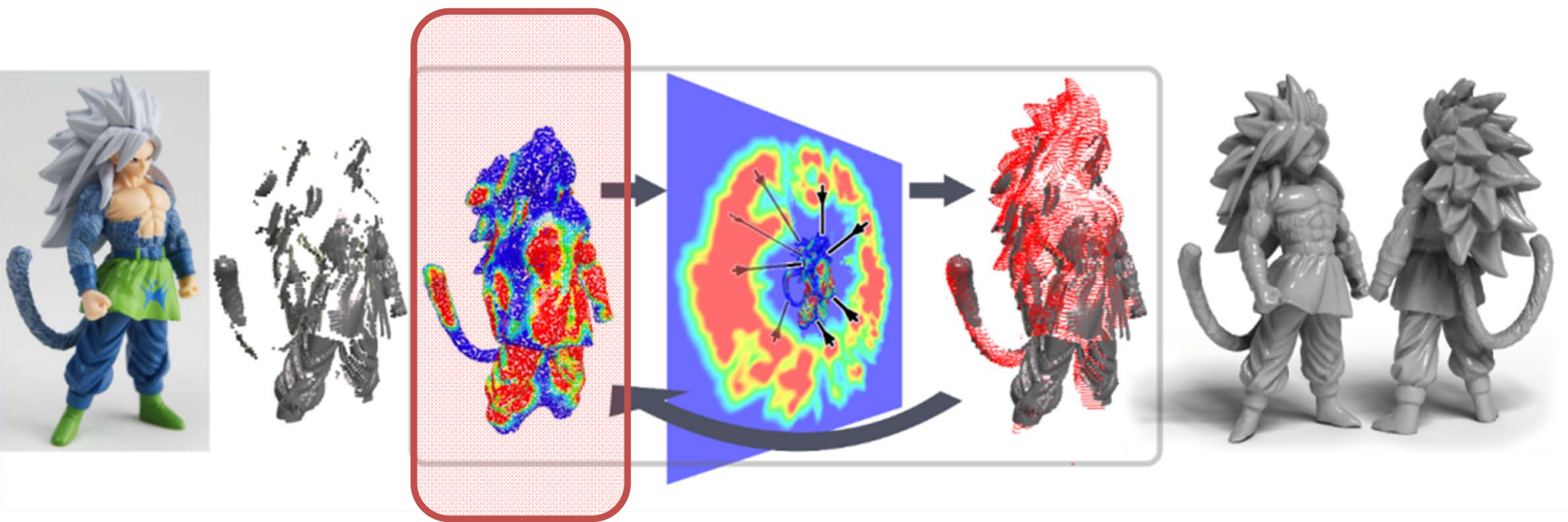
Initial scan

Initial Blind Scan



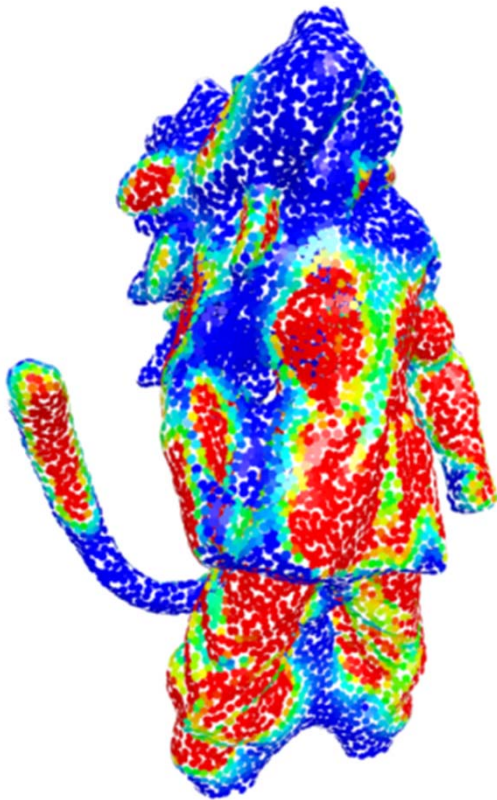
Start with an initial blind, all-around scanning

Algorithm Overview



**Confidence map
of iso-surface**

Confidence Map



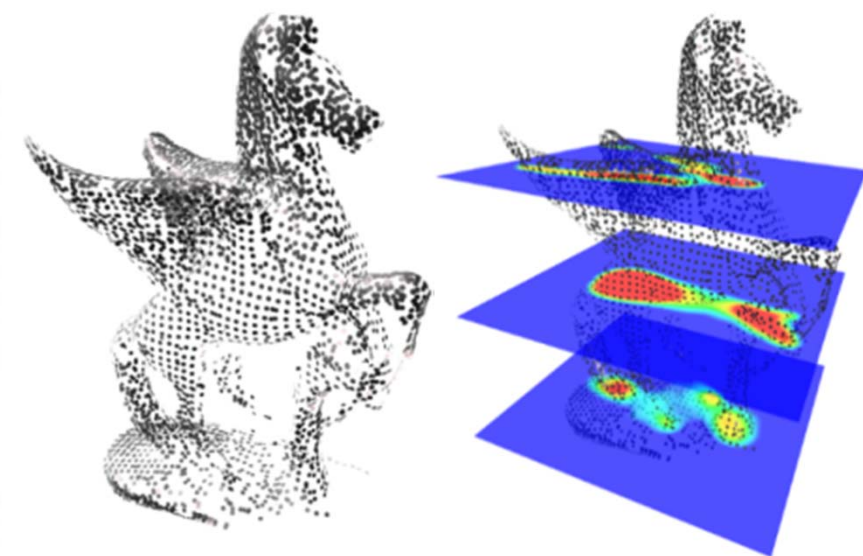
$$f(s_k) = f_g(s_k, n_k) f_s(s_k, n_k)$$

Confidence Completeness Smoothness

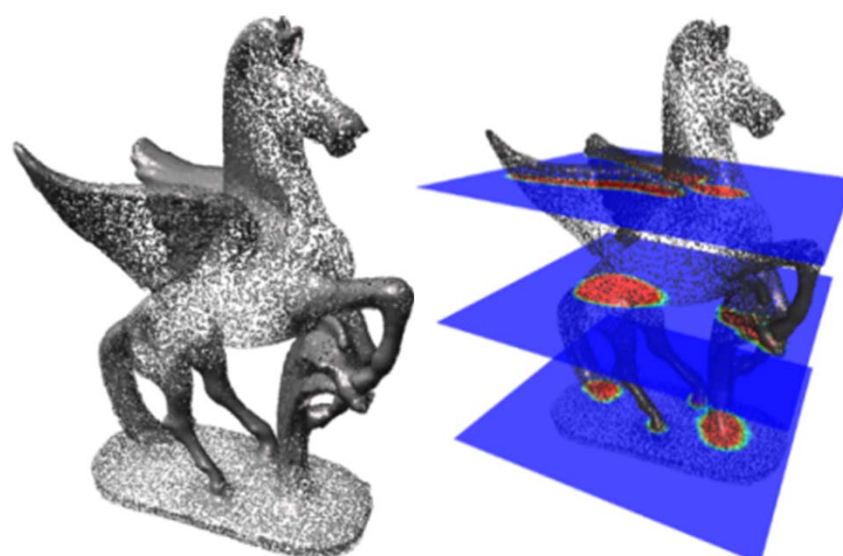
**Confidence map
of iso-points**

Completeness Confidence

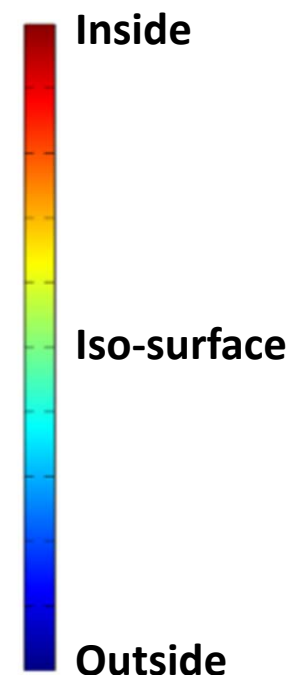
Directional gradient of the Poisson scalar field



**Poisson Scalar field of
incomplete point cloud**

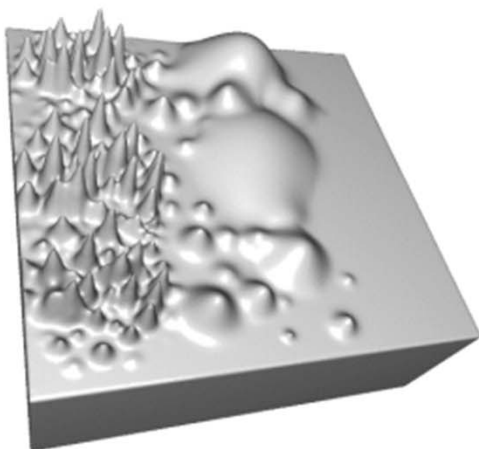


**Poisson Scalar field of
completed point cloud**

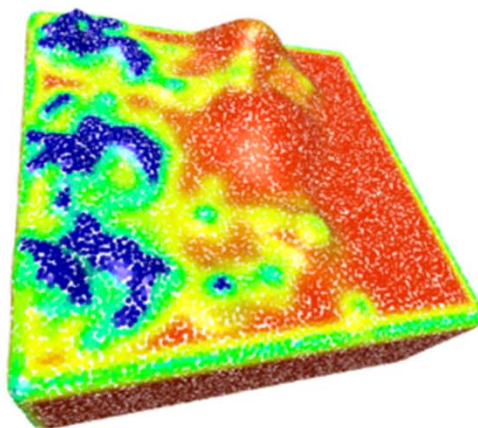


Smoothness Confidence

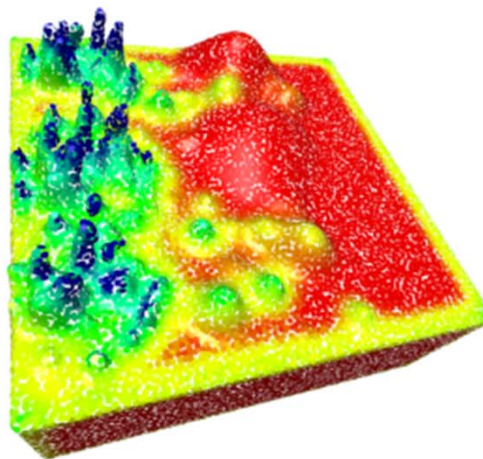
Bilateral weighted sum: $f_s(s_k, \mathbf{n}_k) = \sum_{j \in \Omega_k} \underbrace{\theta(\|s_k - q_j\|)}_{\text{Density}} \underbrace{\phi(\mathbf{n}_k, q_j - s_k)}_{\text{Curvature}}$



A synthetic model



One scan



Five scans



Ten scans

$$\text{Combination: } f(s_k) = f_g(s_k, n_k) f_s(s_k, n_k)$$



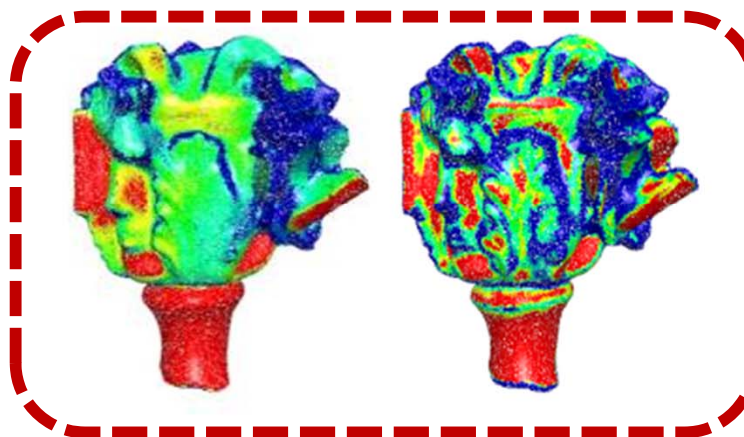
Artwork



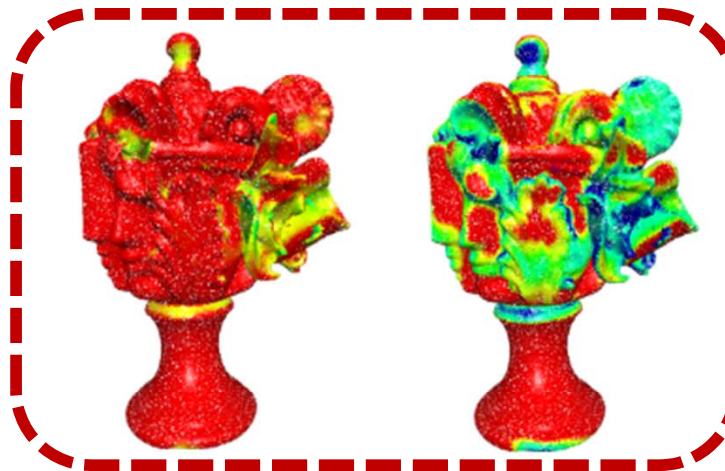
Initial scanning



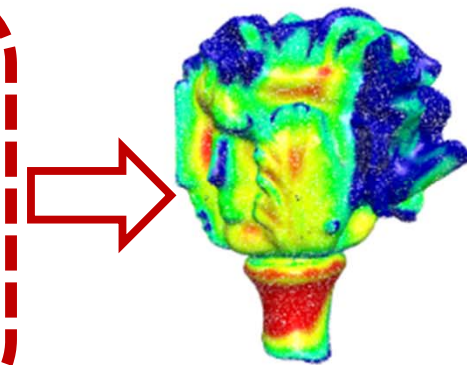
After 4 scan
iterations



Completeness

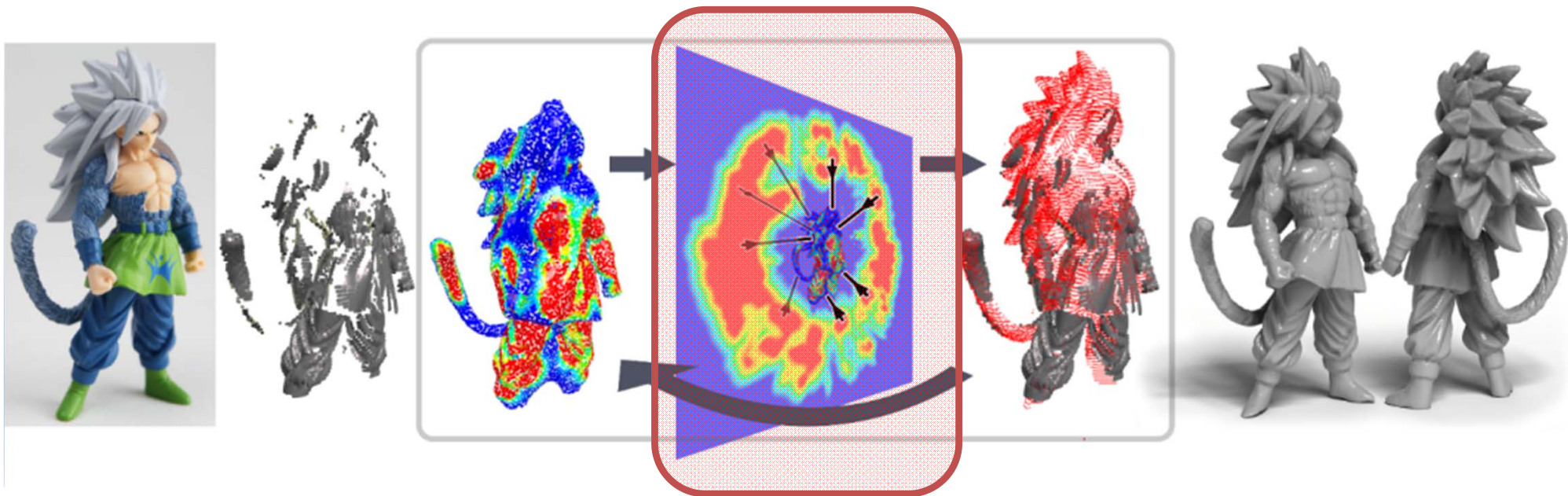


Smoothness



Confidence

Algorithm Overview

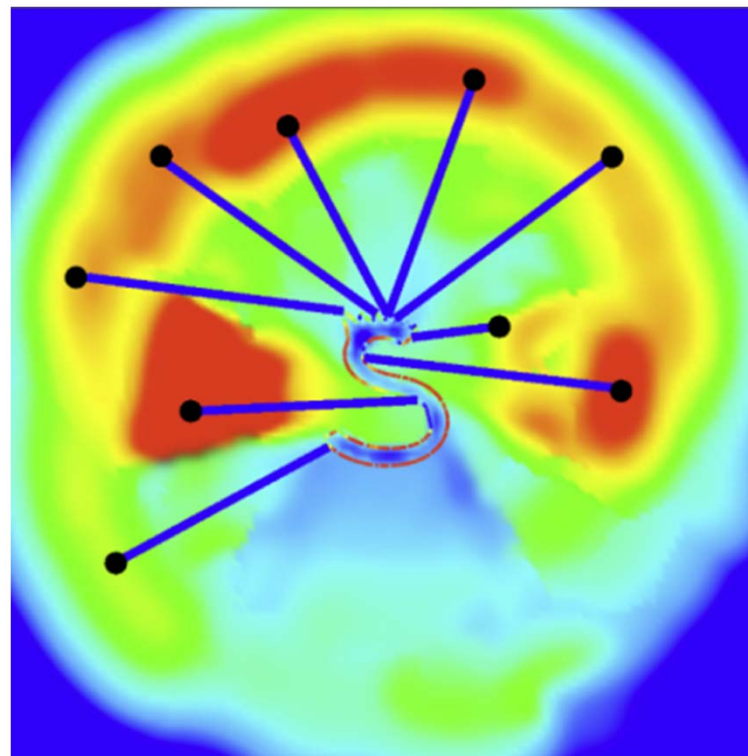


**View selection
using Ambient
viewing field**

Next Best View Selection



Iso-points



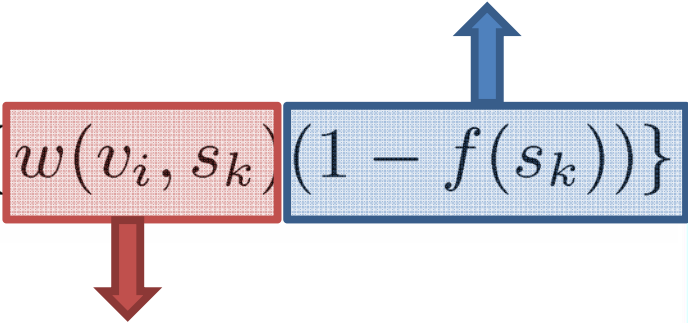
Ambient viewing field

Search in 5D space

Viewing Vector Field Generation

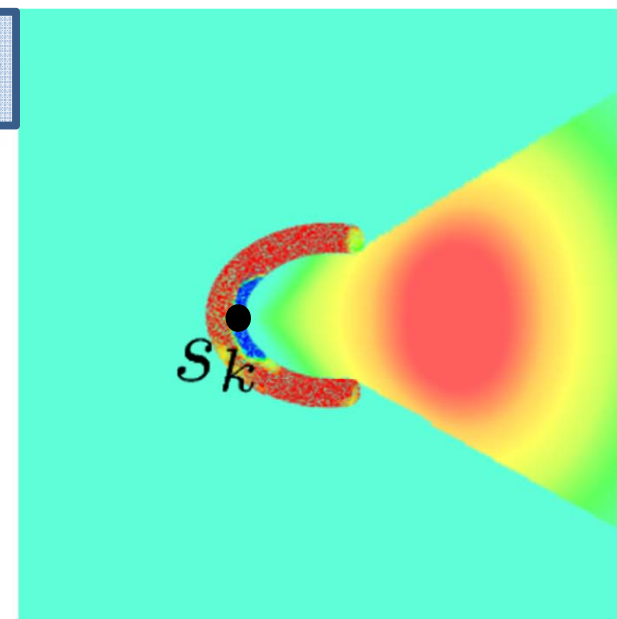
NBV score: $g(v_i) = \max_{s_k} \{ \boxed{w(v_i, s_k)} \boxed{(1 - f(s_k))} \}$

Confidence score

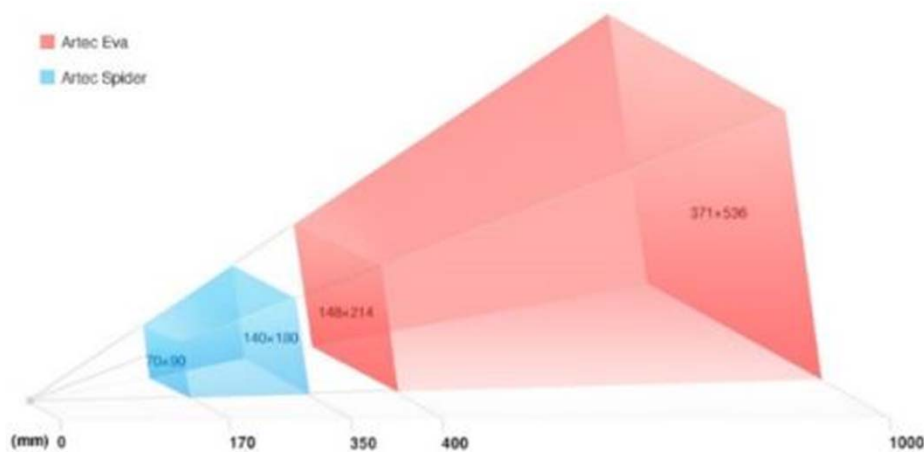


$$w(v_i, s_k) = w_d(s_k, v_i) w_o(s_k, v_i) w_v(s_k, v_i)$$

Distance Orientation Visibility

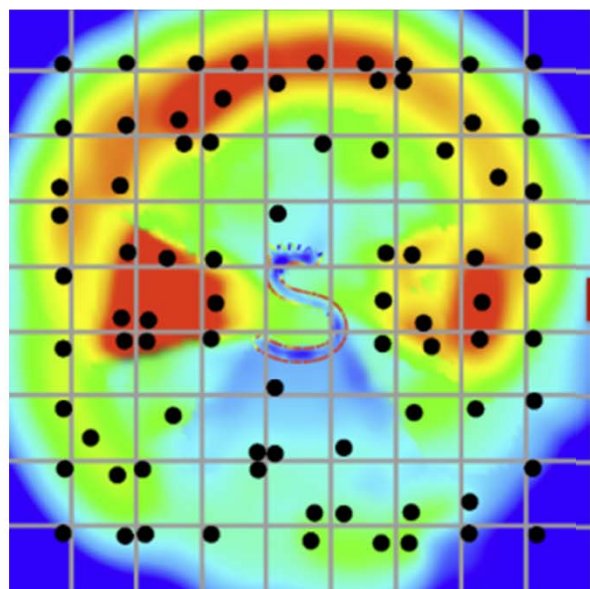


Confidence propagation on s_k

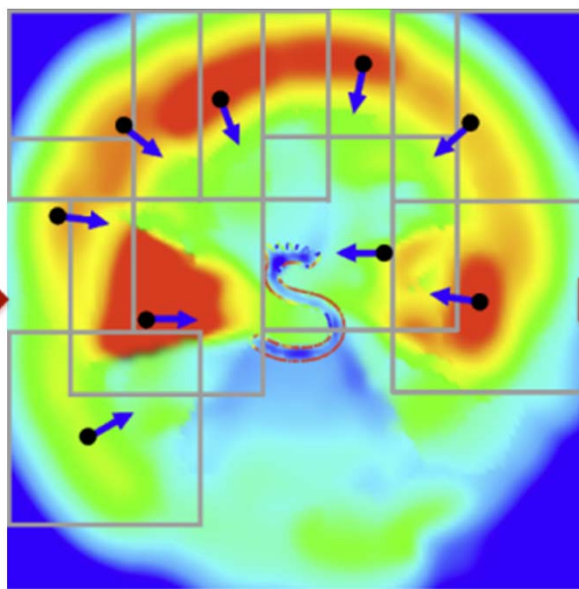


Scanner specification

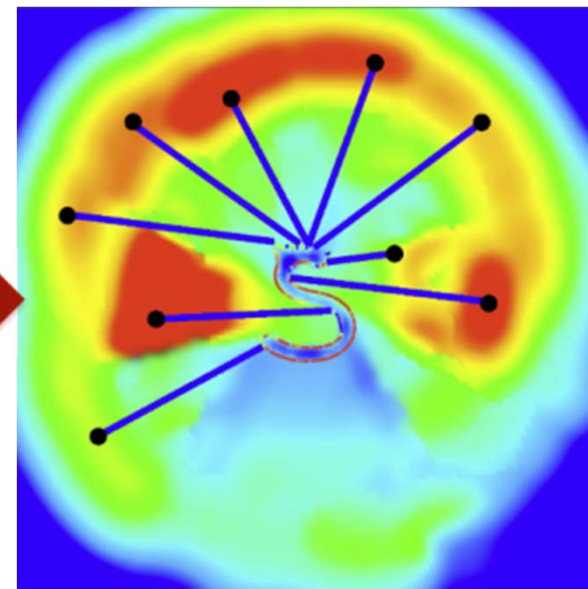
Field-guided View Selection



Local maxima

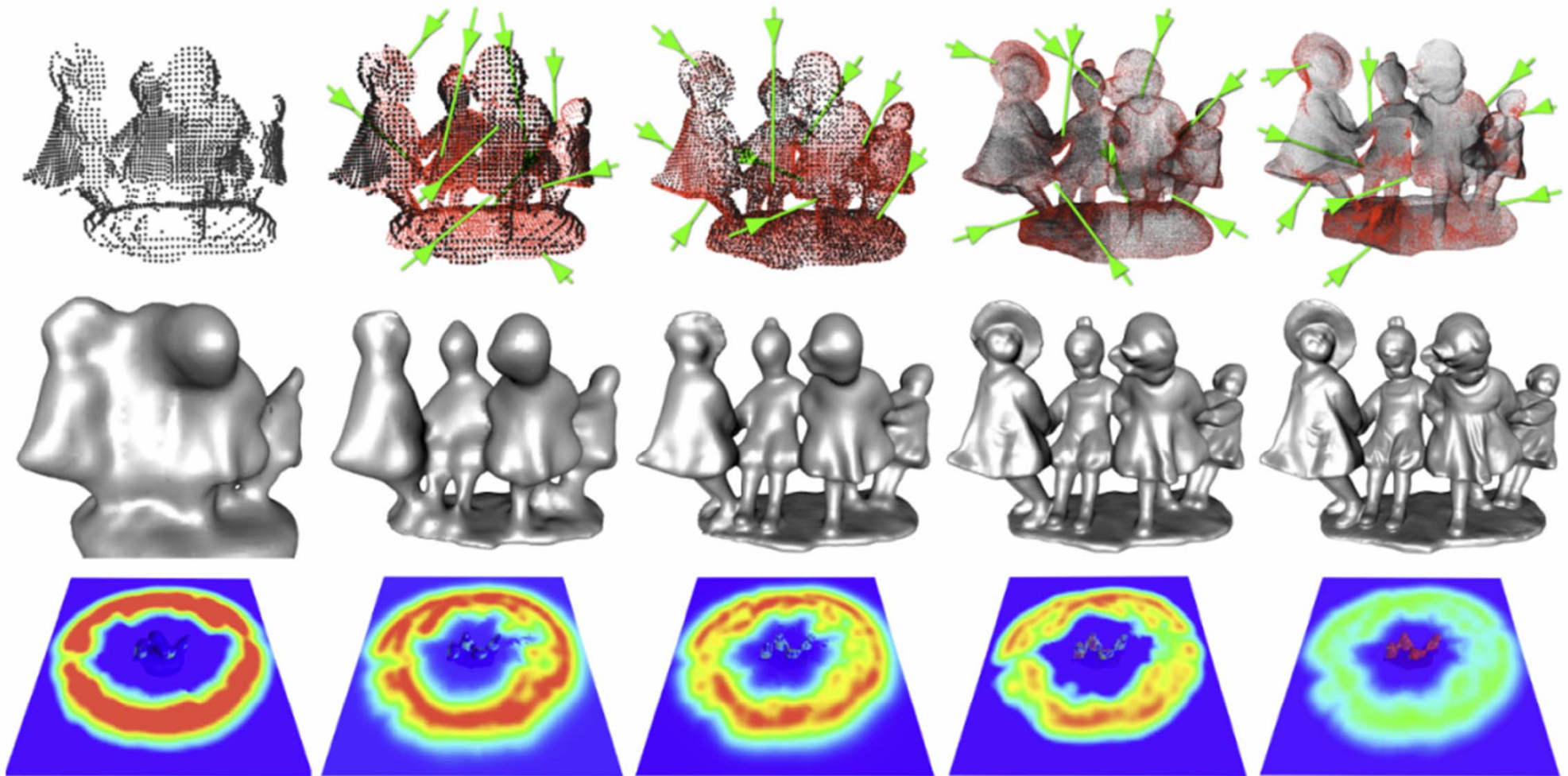


**Non-adjacent maxima
(Optimal positions)**



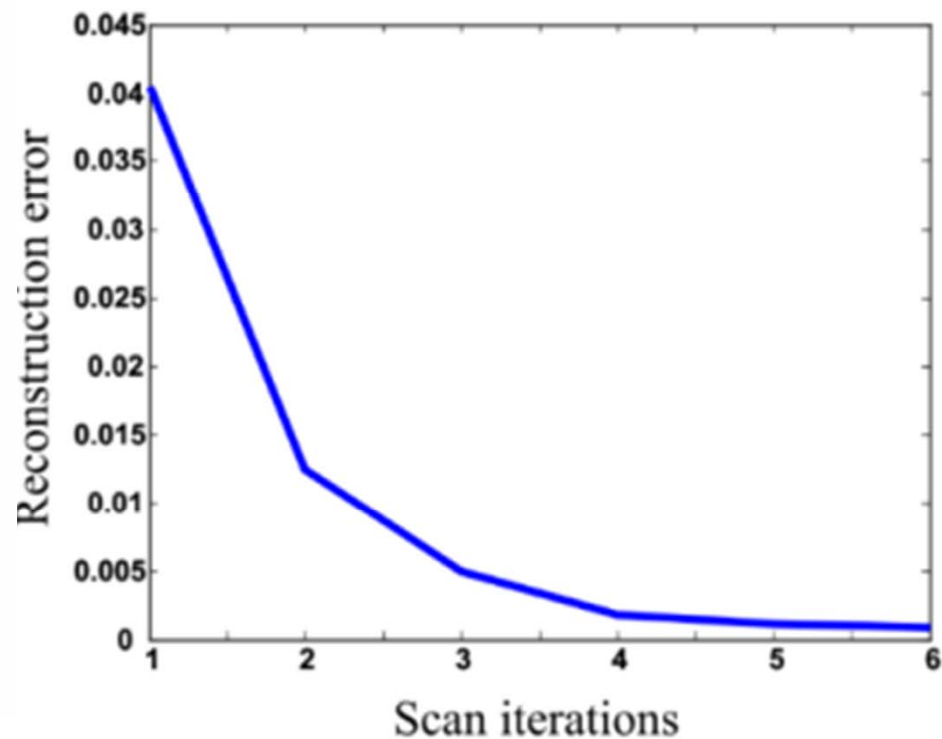
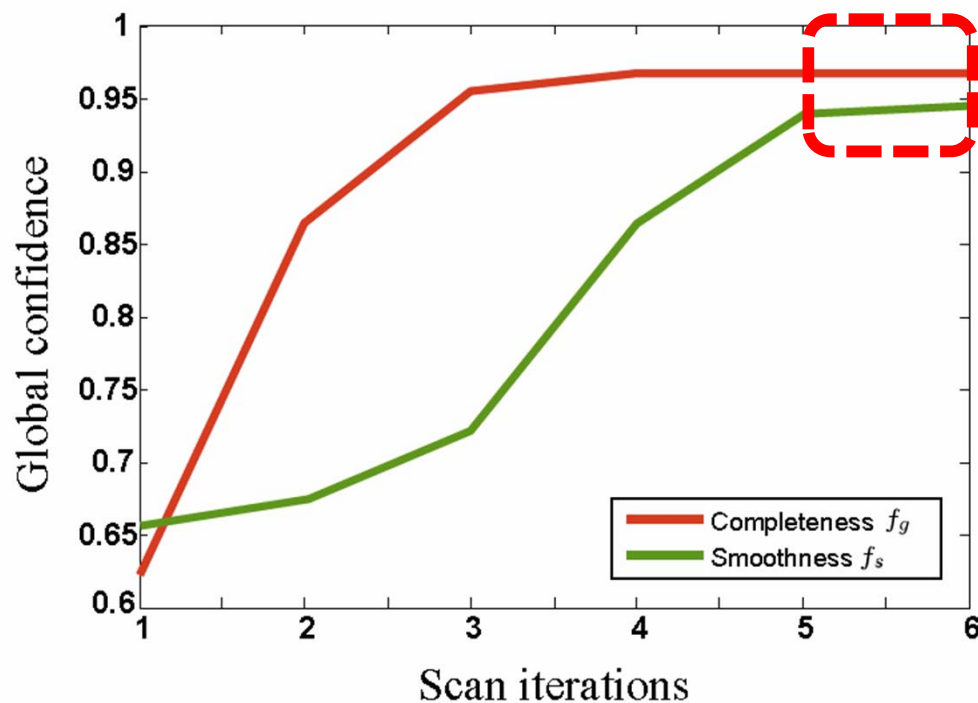
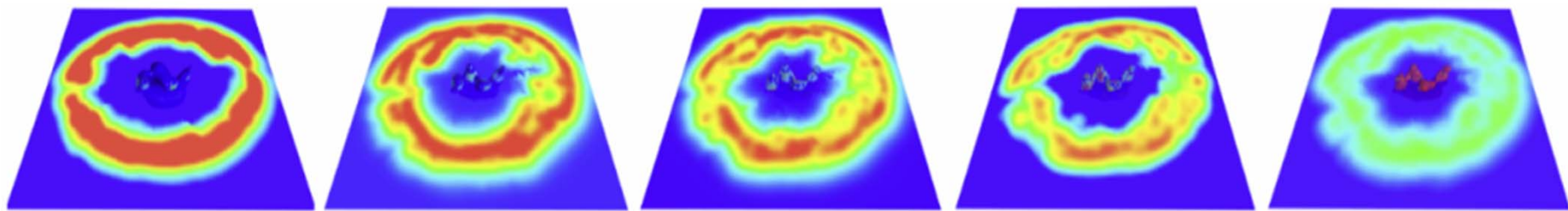
**Next-Best-Views
(Optimal directions)**

Ambient Viewing Field in 3D

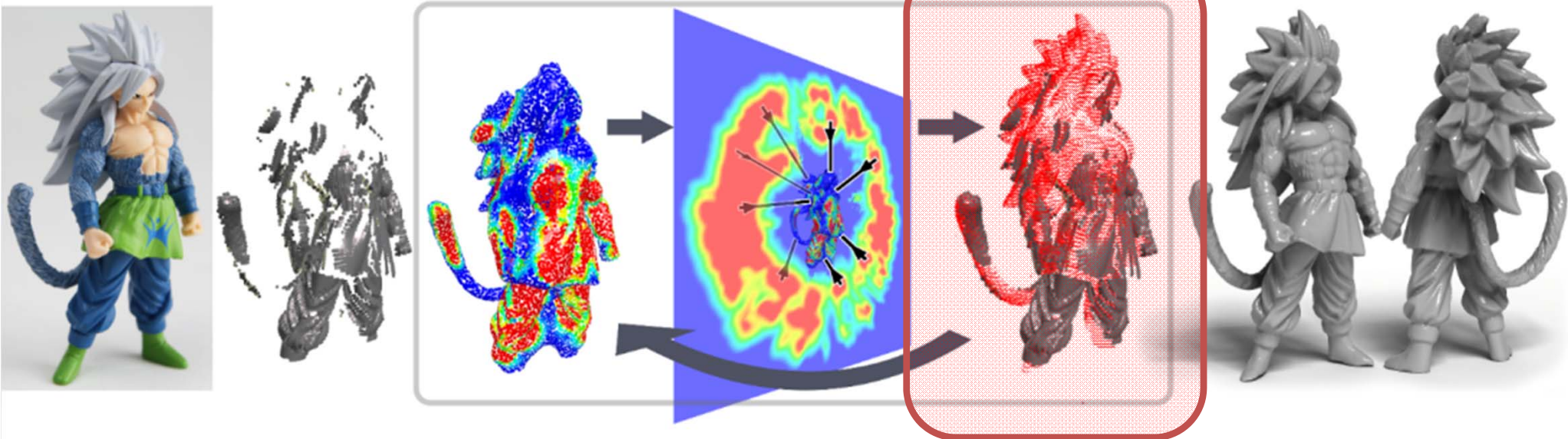


More scans

Ambient Viewing Field in 3D

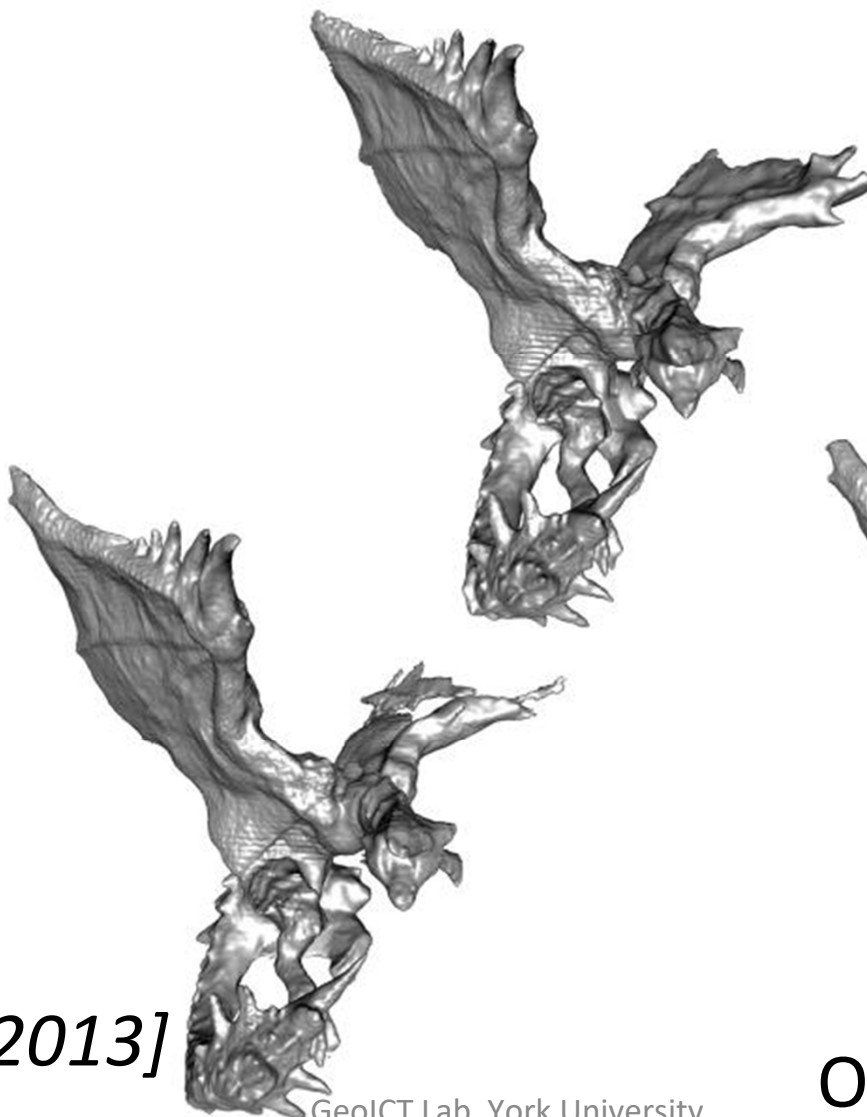


Algorithm Overview



**Scan at NBVs
till converge**

Result Evaluation



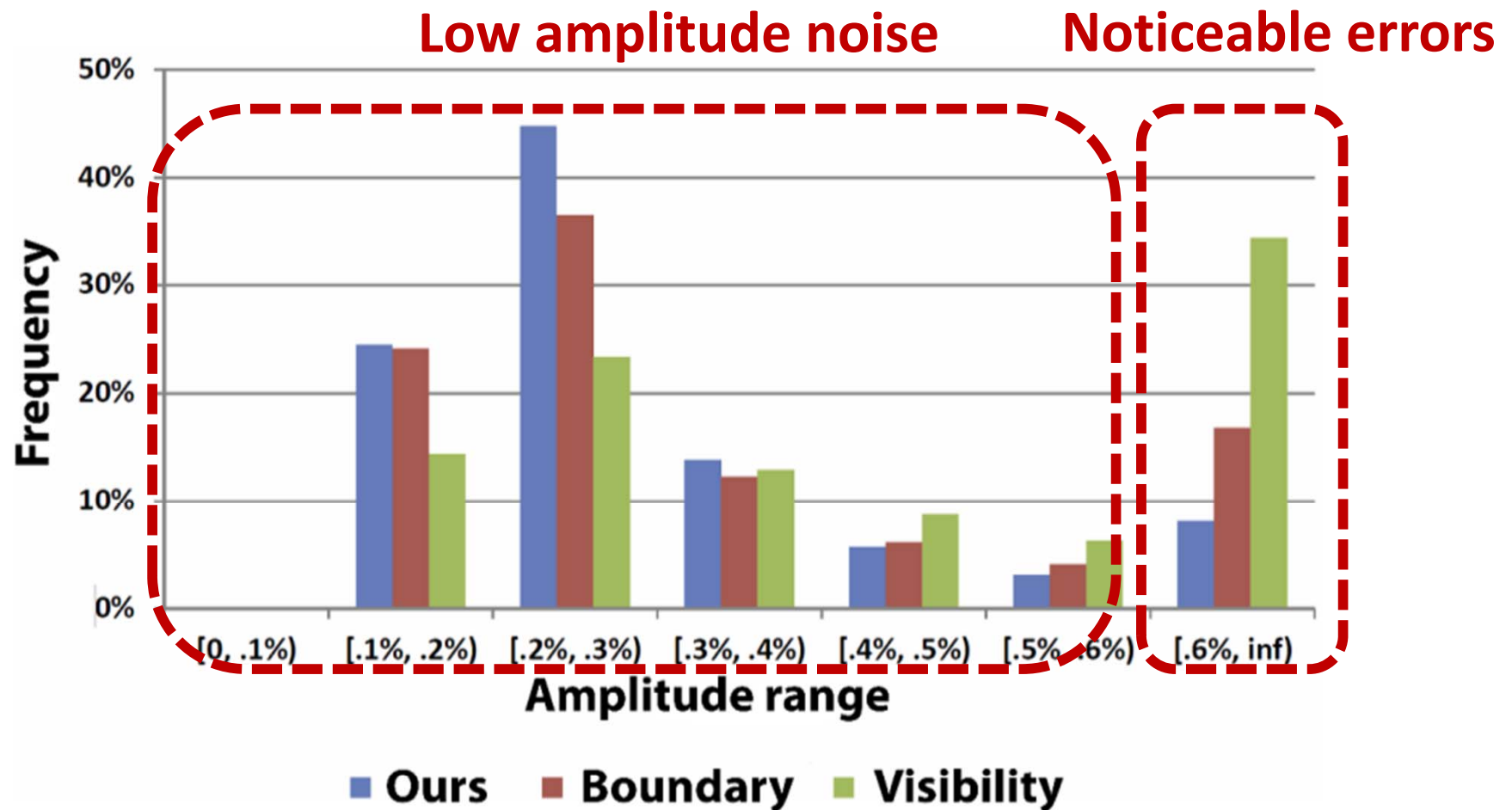
Boundary
[Kriegel et al. 2013]



Visibility
[Khalfaoui et al. 2013]

Ours

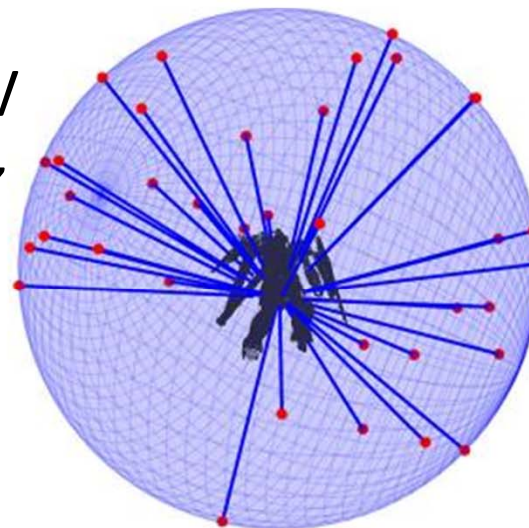
Quantitative Evaluation



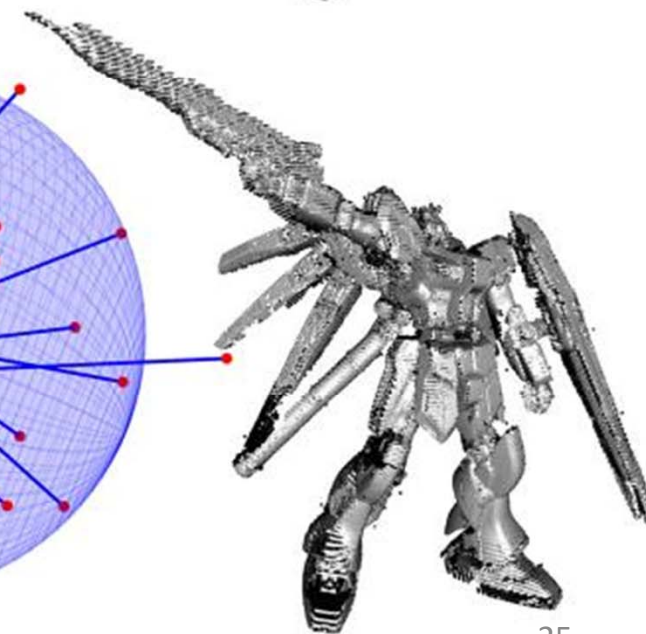
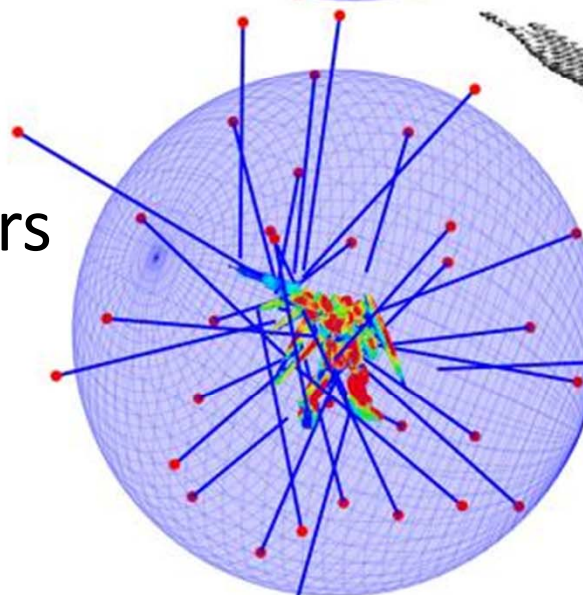
Quantitative error evaluation

More Comparison

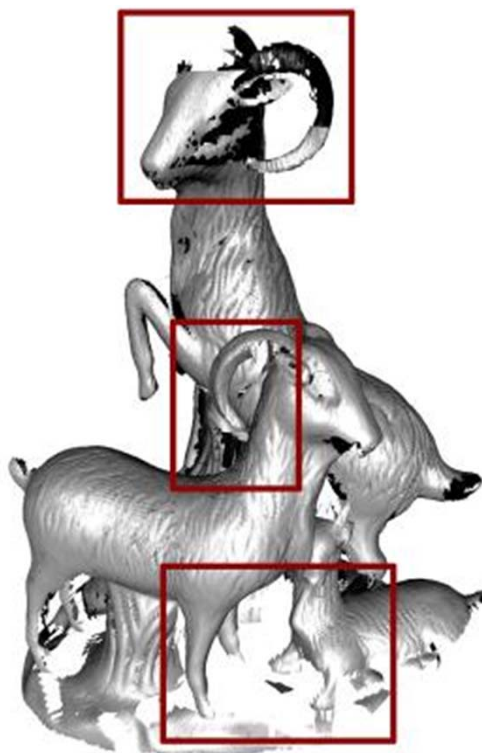
Sphere-based NBV
*[V'asquez-G'omez
et al. 2009]*



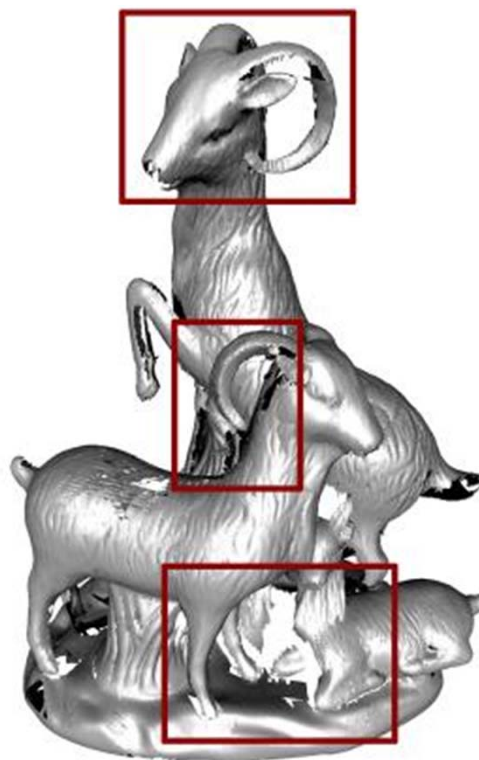
Ours



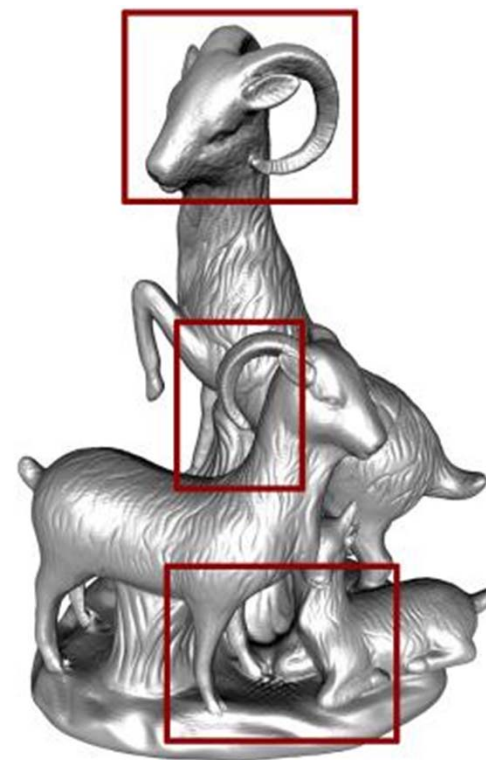
Confidence Measure Selection



Local
curvature

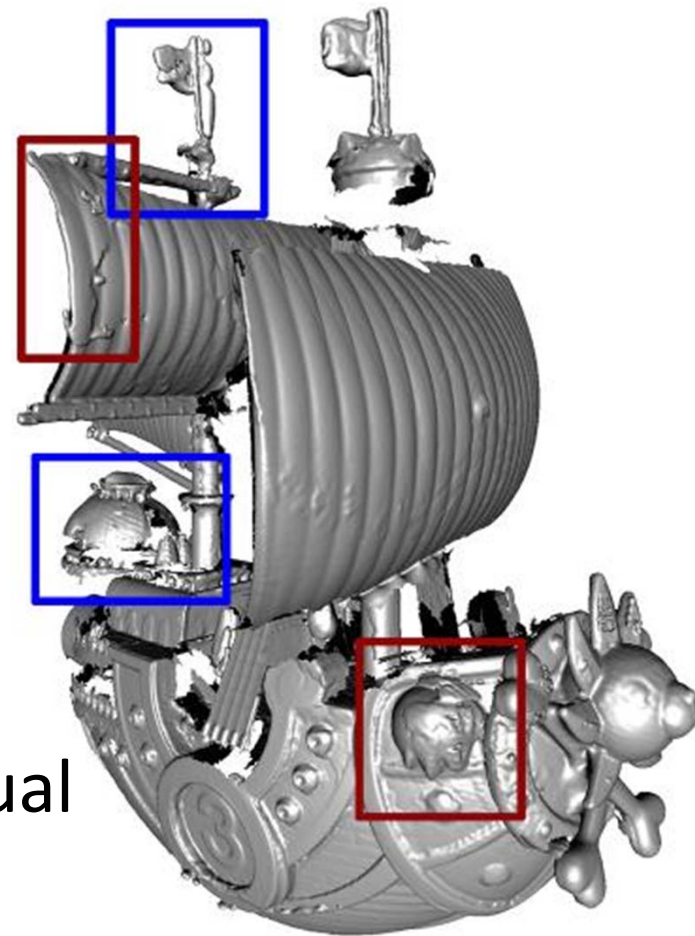
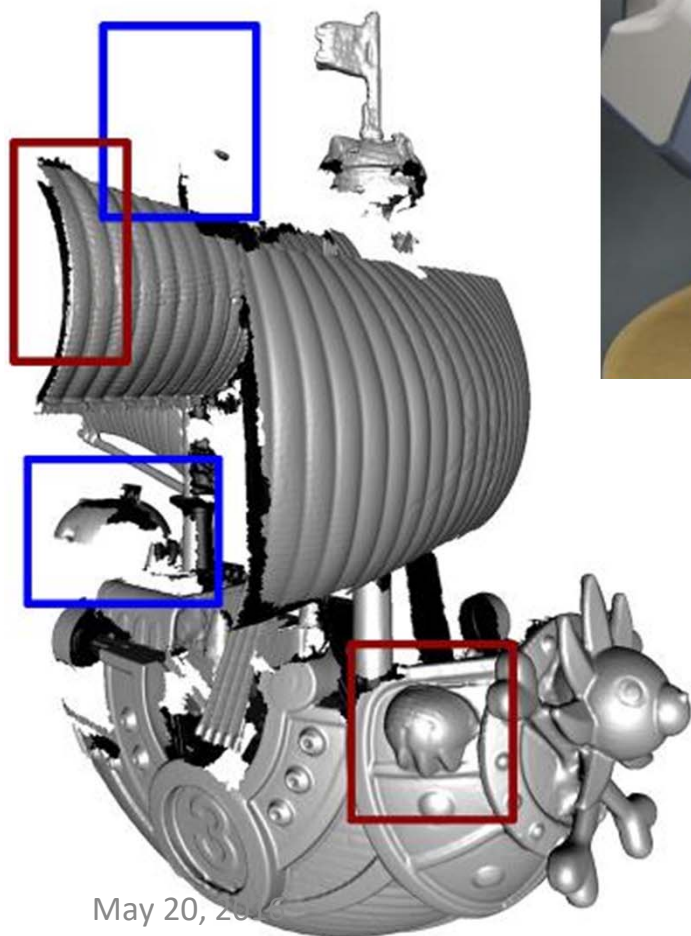


Local point
density



Ours

Compare with Manual Scan



Ours

Manual
scan

With Texture Mapping



May 20, 2016

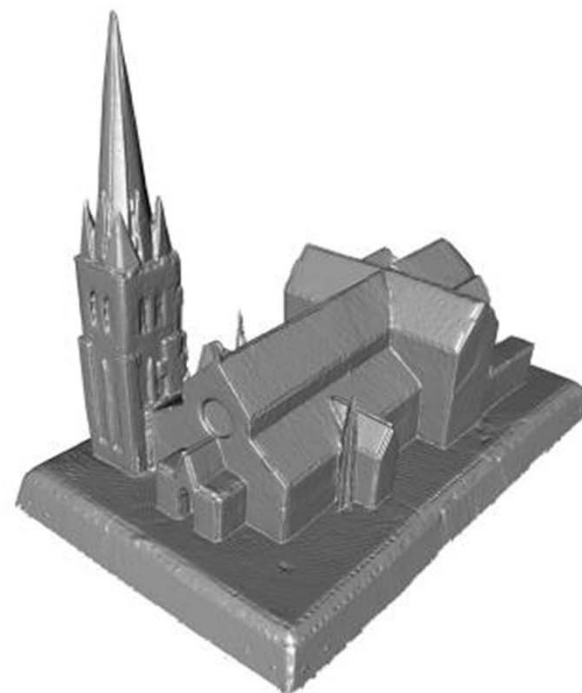


GeoICT Lab, York University



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Outdoor Scan Simulation

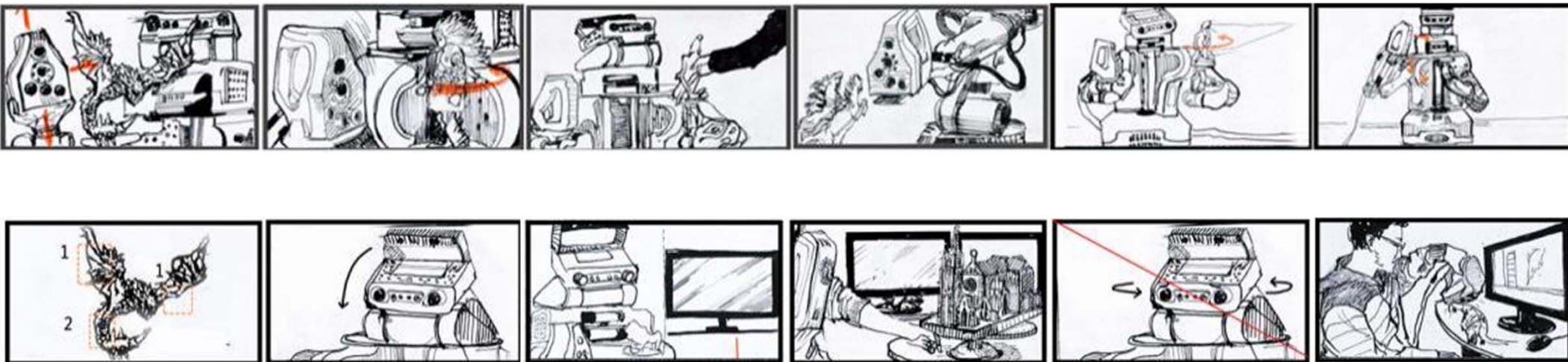


Future Work

- **Incorporating more advanced sensor models and searching in 6D pose space.**
- **Semi-automatic interactive scanning: provide visual feedback for user-operated capturing systems.**
- **Proactive scanning: avoid self-occlusion by introducing interaction with the scanned object.**
- **Optimize the scanning path, rather than frame by frame.**
- **Automatic scan for large-scale outdoor scenes.**

Thank you!

Source codes and data are available at the
project page
Welcome to visit our PR2 robot.



Abstract

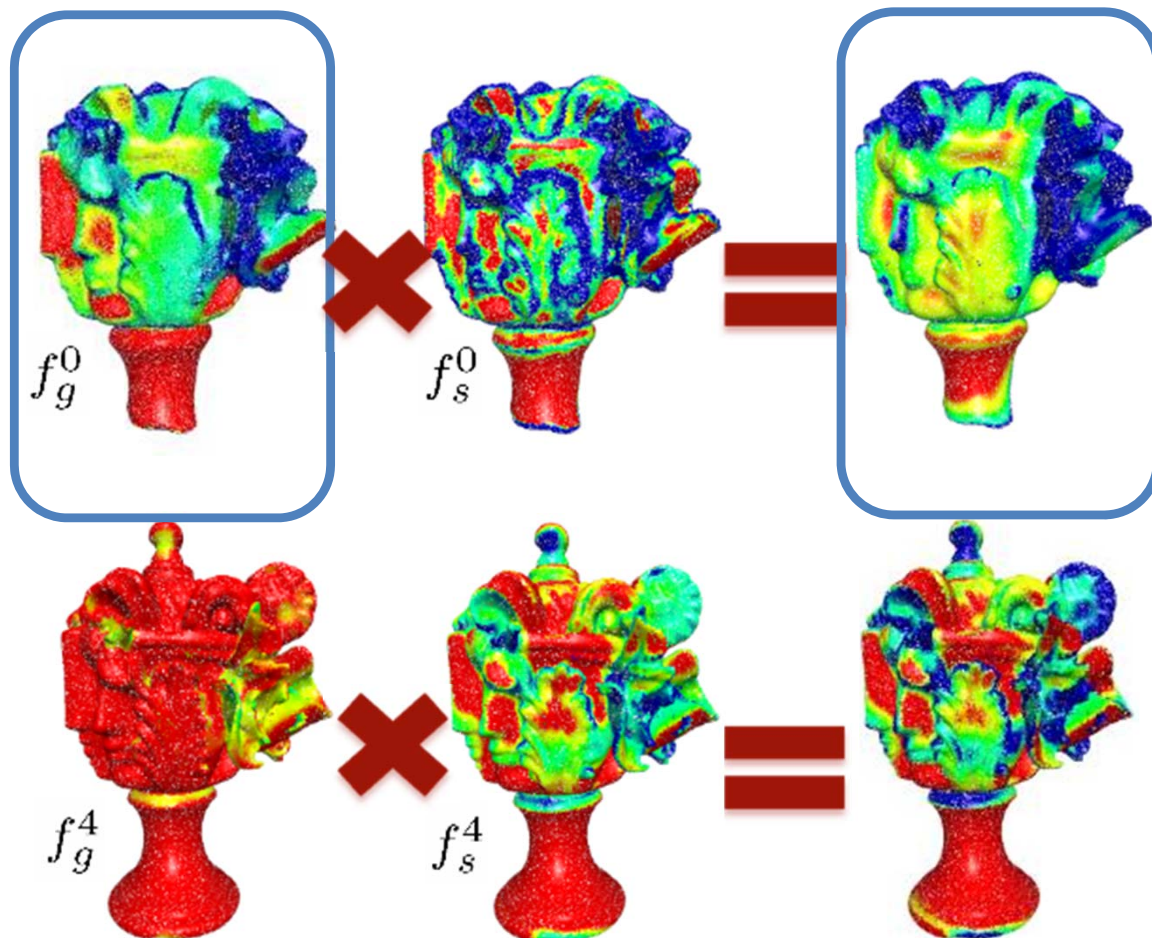
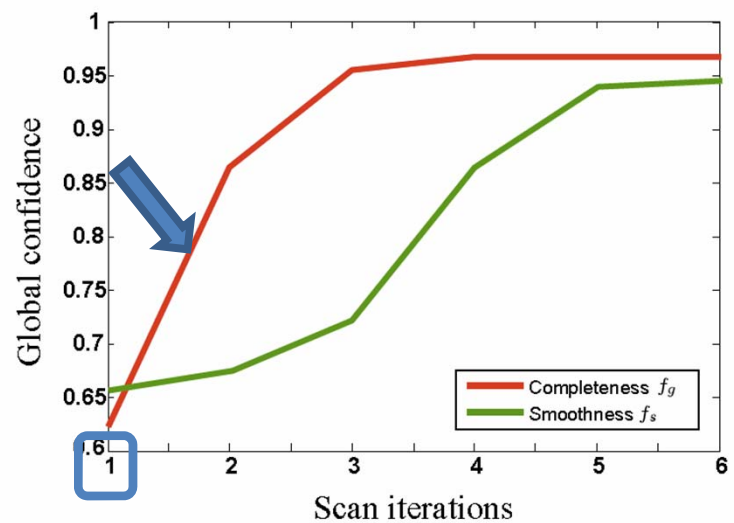
A quality-driven, Poisson-guided autonomous scanning method is discussed in this talk. Unlike previous scan planning techniques, the presented method does not aim to minimize the number of scans needed to cover the object's surface, but rather to ensure the high quality scanning of the model. This goal is achieved by placing the scanner at strategically selected Next-Best-Views (NBVs) to ensure progressively capturing the geometric details of the object, until both completeness and high fidelity are reached. The technique is based on the analysis of a Poisson field and its geometric relation with an input scan. A confidence map that reflects the quality/fidelity of the estimated Poisson iso-surface is computed, which guides the generation of a viewing vector field, as well as the selection of a set of NBVs. The algorithm is tested on two different robotic platforms, a PR2 mobile robot and a one-arm industry robot. We demonstrated the advantages of our method through a number of autonomous high quality scanings of complex physical objects, as well as performance comparisons against state-of-the-art methods.

Time Table

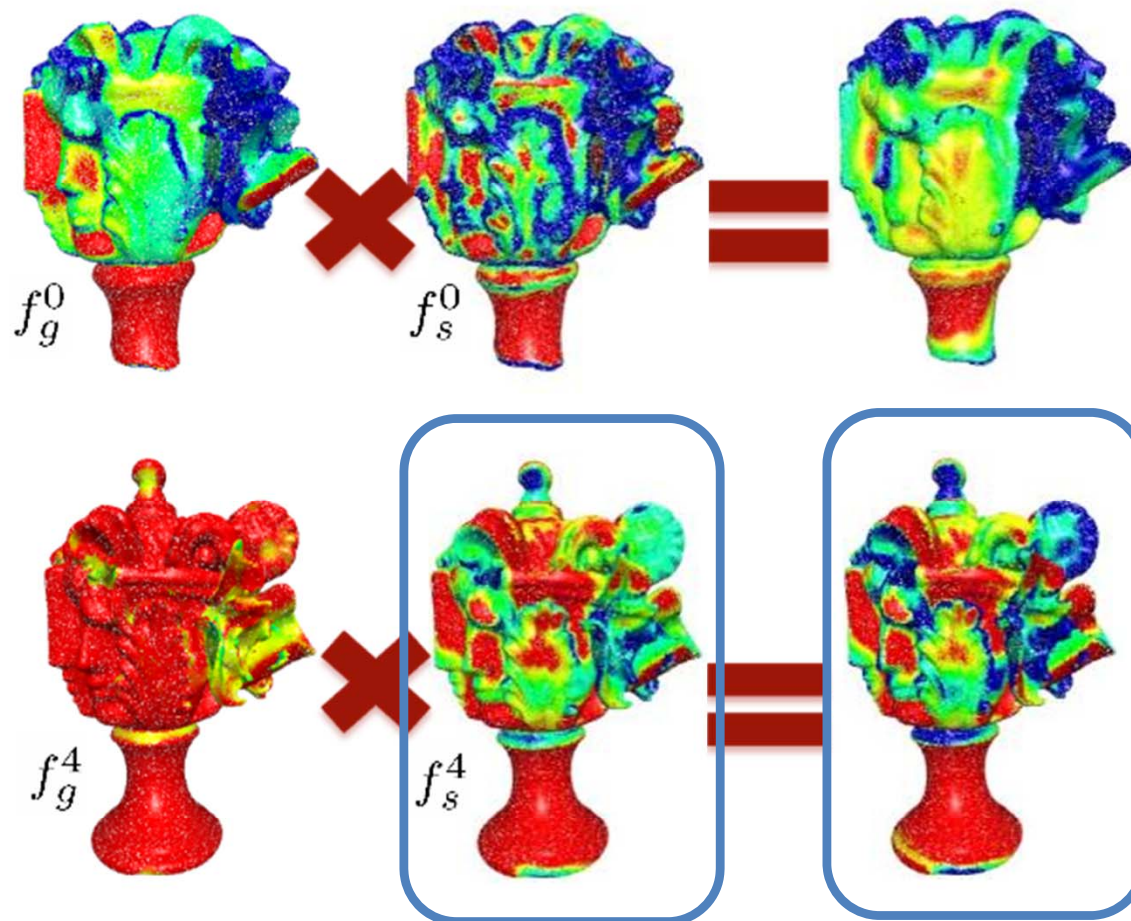
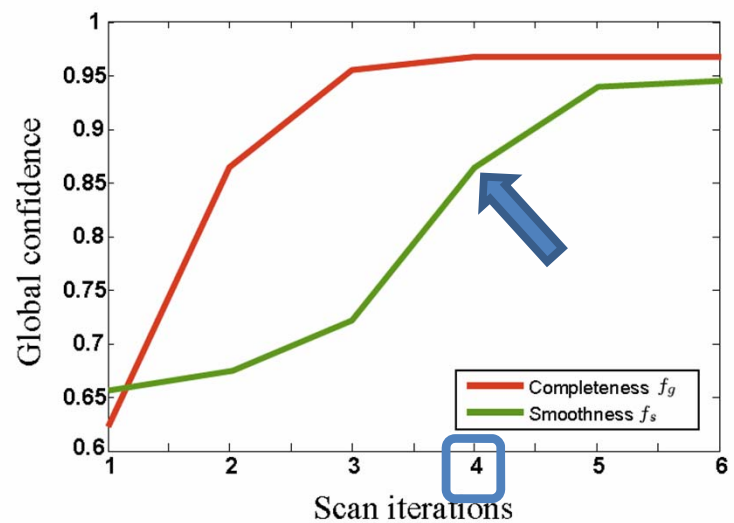
Operation	Time (sec)	Percentage
Robot motion/capture	463	65%
Scan consolidation/registration	178	25%
NBV computation	71	10%

#Fig	#Pt	#Iter	#NBV	Time (min)
Figure 1	1828K	8	105	124
Figure 2	513K	3	35	41
Figure 10	406K	2	23	26
Figure 12	543K	2	25	29
Figure 13	2117K	10	127	154
Figure 14	376K	3	36	37
Figure 15	1777K	8	96	115
Figure 17	714K	4	41	49
Figure 18	4140K	15	213	235

Combination: $f(s_k) = f_g(s_k, n_k) f_s(s_k, n_k)$



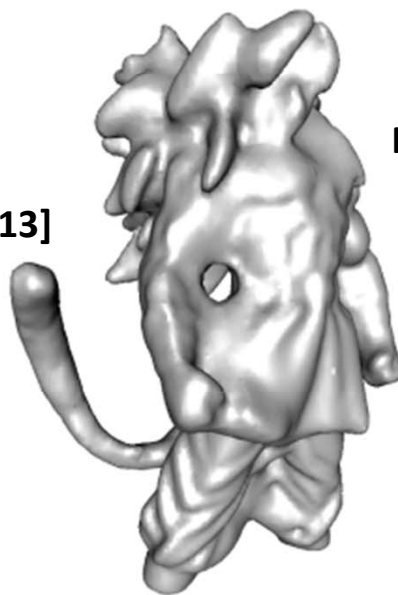
Combination: $f(s_k) = f_g(s_k, n_k) f_s(s_k, n_k)$



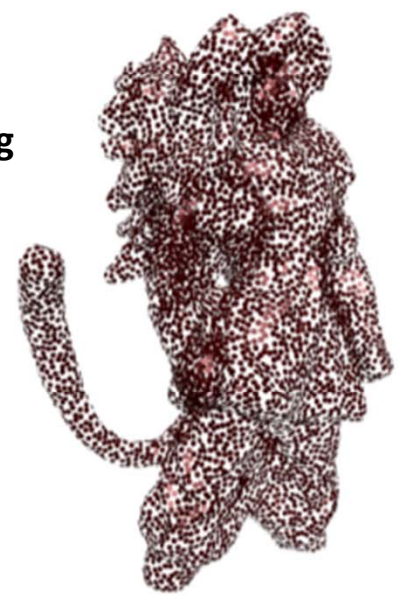
Iso-points extraction



**Screened Poisson
Reconstruction**
 [Kazhdan and Hoppe 2013]



Poisson-disk Sampling
 [Corsini et al. 2012]



Scanned input

$$Q = \{q_j\}_{j \in J} \subset \mathbb{R}^3$$

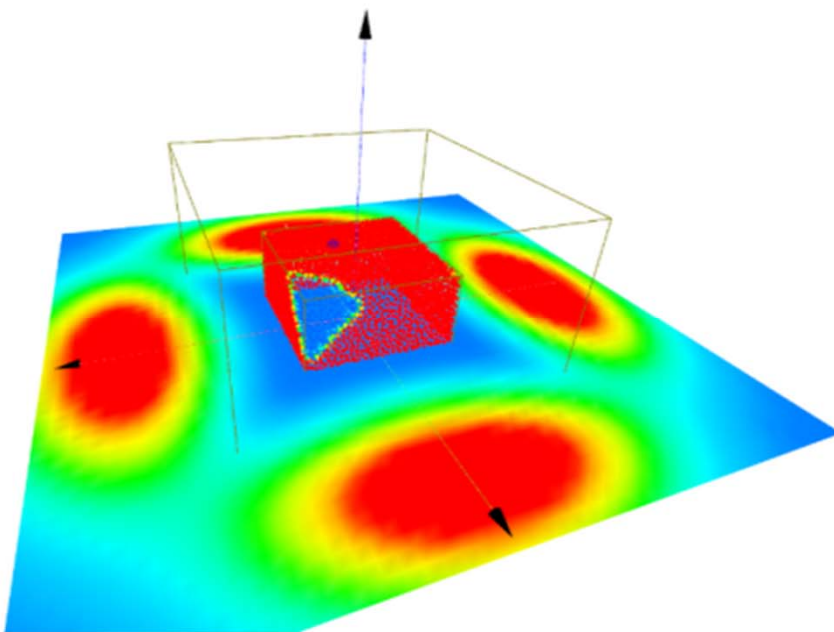
Tentative iso-surface

Iso-points

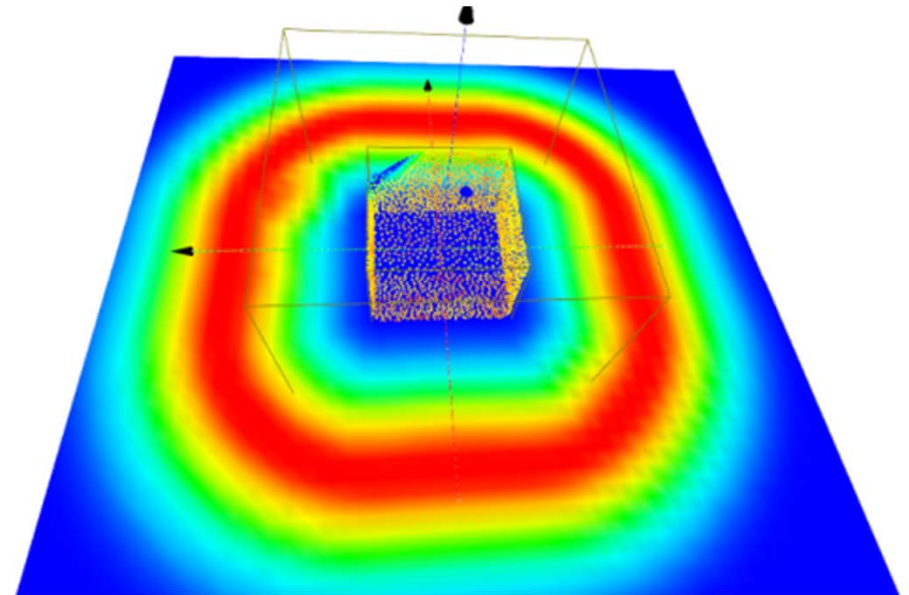
$$S = \{(s_k, \mathbf{n}_k)\}_{k \in K} \subset \mathbb{R}^6$$

Why maximum instead of sum?

$$g(v_i) = \max_{s_k} \{w(v_i, s_k)(1 - f(s_k))\}$$

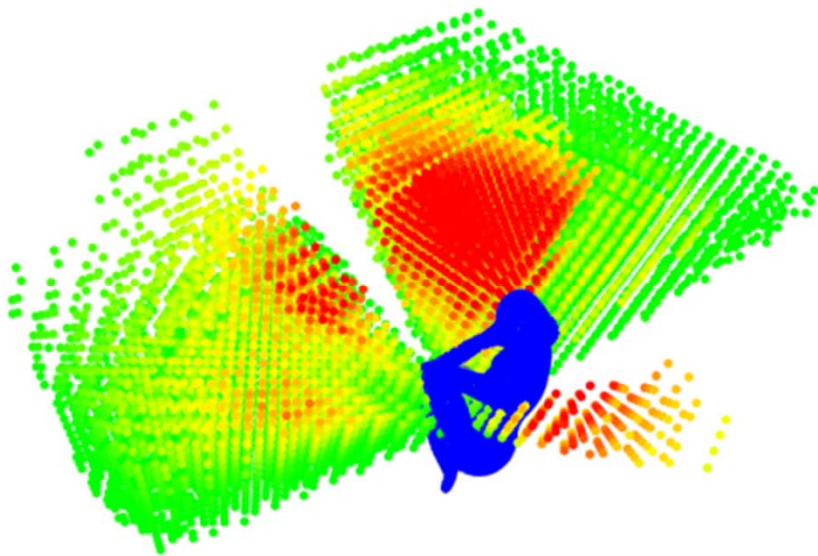


Using sum

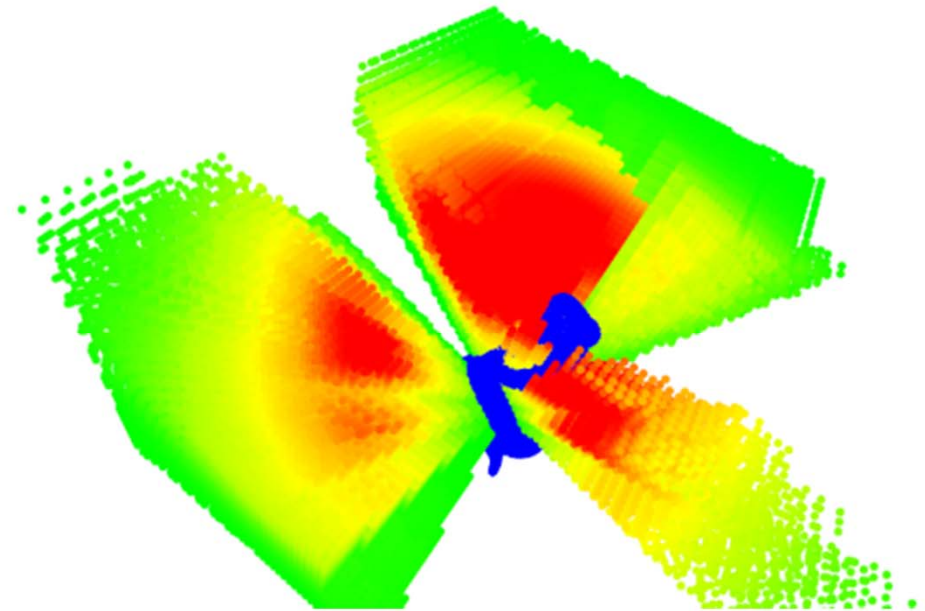


Using maximum

Different grid resolution



Resolution: 62X62X62
Time: 0.001 sec



Resolution: 125X125X125
Time: 0.01 sec